# MATLAB: Introduction Part 1 

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Last Update: August 9, 2011

## Outline

What is MATLAB?

MATLAB Windows
MATLAB as a Calculator

MATLAB Classes
Scripts and Functions
Writing MATLAB Programs
Code Cells and Publishing

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## A powerful tool!

- MATLAB stands for Matrix Laboratory
- Enhanced by toolboxes (specific routines for an area of application)
- Optimization
- Statistics
- Control System
- Bioinformatics
- ...
- Excellent for numerical computations
- Commonly regarded as a 'Rapid Prototyping Tool'
- Used in industry and academia


## Help with MATLAB?

- MATLAB's Help
- Google
- A book about MATLAB


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## Main Window I

- Command Window (prompt >>)
- Current Directory
- Workspace (contains variables stored in memory)
- Help Menu


## Main Window II



## Editor Window I

- Window Menu (Tile)
- Debug Menu (Run, Step, Step In, Step Out...)
- Cell Menu (Cell Mode)


## Editor Window II



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## Basic Operators

- MATLAB supports the following mathematical operators

| Operator | Operation |
| :---: | :---: |
| + | Addition |
| - | Subtraction |
| $\star$ | Multiplication |
| $/$ | Division |
| $\sim$ | Exponentiation |

- Some examples:
- >> 1 + 2


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- Some examples:
- $\gg 1+2$
- $\gg 2 * 3+4$


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- Some examples:
- $\gg 1+2$
- $\gg 2 \star 3+4$
- $\gg 4 / 3-3 / 4+2^{\wedge} 3$


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$\rightarrow \gg 15 /((2+3) *(4-1))$
- $\gg 2^{\wedge} 3 / 2$
- $\gg 2^{\wedge}(3 / 2)$
- Use parentheses to enforce the desired order


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## All Matrices!

- "Everything" in MATLAB is a matrix
- A scalar is a 1-by-1 matrix
- A 1D array of $n$ elements can be a n-by-1 (row vector) or a 1-by-n (column vector) matrix
- A string of $n$ characters is a 1 -by-n matrix
- ...
- Some MATLAB classes:
- double (Double-precision floating-point number array) (default)
- single (Single-precision floating-point number array)
- char (Character array)
- cell (Cell array)
- struct (Structure array)
- function_handle (Array of values for calling functions indirectly)


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- Use the commands who or whos to list the variables defined in the Workspace
- Other common functions are available:
exp, tan, sinh, acos,...


## 1D Arrays: Real Vectors (or Matrices!)

- Use [...., . . ] or [ . . . . . . ] for horizontal stacking and [... ; . . .] for vertical stacking
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- $\gg v 8=\exp (v 7) \%$ Element-wise operation


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- >>sz8 = size(v8) \% = [1 3]


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- $\gg$ sz8 $=\operatorname{size}(v 8) \%=\left[\begin{array}{ll}1 & 3\end{array}\right]$
- $\gg \mathrm{v} 9=$ rand $(1,5) \%$ Random $1-$ by -5 array


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- $\gg p=\operatorname{prod}(\mathrm{v} 1) \%$ Product of elements $=6$


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$\rightarrow \gg m 2=$ rand $(2,3) \%$ Random 2-by-3 matrix
- >>m3 = m1 + m2 \% Matrix addition
- >>m4 = m1*m2 \% Error! Dimensions don't agree
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- >>m6 $=\tan (m 5) \%$ Element-wise operation


## Element-wise Operations

- The following are element-wise mathematical operators

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| .$\star$ | Element-wise Multiplication |
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- More examples:
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$\rightarrow \gg \mathrm{v} 3=\mathrm{v} 1 . * \mathrm{v} 2 \%=\left[\begin{array}{lll}2 & 8 & 18\end{array}\right]$


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$\rightarrow \gg \mathrm{v} 3=\mathrm{v} 1 . * \mathrm{v} 2 \%=\left[\begin{array}{lll}2 & 8 & 18\end{array}\right]$
- $\gg \mathrm{v} 4=\mathrm{v} 2 . / \mathrm{v} 1 \%=\left[\begin{array}{lll}2 & 2 & 2\end{array}\right]$


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\end{array}\right] \%-\mathrm{by}-2 \\
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- >> quad (my fun, 0, 1) \% Adaptive Simpson quadrature to integrate 'my fun'


## Outline

> What is MATLAB?

MATLAB Windows

MATLAB as a Calculator

MATLAB Classes

Scripts and Functions
Writing MATLAB Programs
Code Cells and Publishing

## M-Files

- The file with source code is called M-File (*.m)
- Scripts: No input and no output arguments. Contain a series of commands that may call other scripts and functions.
- Functions: Accept input and output arguments. Usually called program routines and have a special definition syntax.
- Inside scripts and functions you may use programming statements, such as flow, loop, and error control
- Open the Editor Window and start coding!


## Function M-Files

- General form:

```
function [out1, out2, ...] = funname(in1, in2, ...)
    statement
end % Optional
```

- Example:

```
function Z = virialgen(P,PC,T,Tc,omega)
Pr = P/Pc;
Tr = T/TC;
[B0,B1] = virialB(Tr);
Z = 1 + Pr/Tr*(B0 + omega*B1);
function [B0,B1] = virialB(Tr)
B0 = 0.083 - 0.422/Tr^1.6;
B1 = 0.139 - 0.172/Tr^4.2;
```


## Code Cells

- Allow you to divide your M-files into sections (cells)
- Enable you to execute cell by cell
- Foundations for publishing your M-file to HTML, PDF, and other formats
- To begin a code cell, type $\% \%$ at the beginning of a line
- The first line after the $\% \%$ is the title of the code cell
- The next lines starting with \% are a description of the code cell
- Place your code in the next lines
- A new code cell starts at the next $\% \%$ at the beginning of a line


## Code Cells: Example

- Simple example:

```
%% 99-999: Homework 1
% Bruno Abreu Calfa
%% Problem 1
x = linspace(0,1);
y = sin(x.^2).*exp(-x.*tan(x));
plot(x,y);
%% Problem 2
a = 0;
b = 1;
f = @(t) exp(-t.^2);
intf = quad(f,a,b);
sprintf('Integral of f from %g to %g = %g',a,b,intf)
```


## Publishing your Code

- Saves output of your code to a specific file type
- Formats available:

| File Format | Description |
| :---: | :---: |
| doc | Microsoft Word $^{1}$ |
| latex | ATT $^{1} X^{1}$ |
| ppt | Microsoft Powerpoint ${ }^{1}$ |
| xml | Extensible Markup Language |
| pdf | Portable Document Format |
| html | Hypertext Markup Language |

- MATLAB evaluates your M-file and generates the output
- To publish your M-file, go to: File -> Publish

